

May Test of Applied Maths

Class – XI (2024-25) Set

Set - A

M.M. - 30

Time : 1 hour

Instructions :

- 1. All questions are compulsory.
- 2. This question paper has 3 Sections. Section A has 12 questions of 1 mark each. Section B has 6 Questions of 2 marks each. Section C has 2 questions of 3 marks each.

Section - A

Q1 Which of the following binary number is equivalent to decimal number 150?

a)	$(10010110)_2$	c) (10001010) ₂
b)	$(100000)_2$	d) $(100001)_2$

Q2 If $log_x 4 = \frac{1}{4}$ then value of x is

a) 4	b) 36	c) 64	d) 256
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Q3 $(256)^{0.16}$ x $(256)^{0.09}$ is equal to

a) 4 b) 16 c) 32 d) 64

Q4 If A = { 4, 5, 8, 12} and B = { 5, 6, 7, 8, 9} then B – A is

a) {5} b) { 6, 7, 9} c) { 5,8} d) { 4, 12}

Q5 If P = { a, b, c, d} and Q = {8, 9, 1} then number of subsets of set A are

a) 12 b) 7 c) 2^4 d) 2^{12}

Q6 The value of $27^{\frac{-2}{3}} \div 16^{\frac{1}{4}}$ is

a) $\frac{1}{50}$ b) $\frac{1}{18}$ c) $\frac{1}{5}$ d) $\frac{36}{50}$

Q7 The value of $log_{3\sqrt{2}}$ 324 is

a) 8	b) 6	c) 4	d) 2

Q8 Among these four numbers : $(111)_2$, $(1101)_2$, $(11101)_2$, $(10010)_2$ which one is greatest.

a) $(111)_2$ b) $(1101)_2$ c) $(11101)_2$ d) $(10010)_2$

Q9 The characteristics of the log 0.0000678 is

a) 4 b) -4 c) 5 d) -5

Q10 Among these numbers tell which one is smallest:

 $3^{\frac{1}{3}}, 5^{\frac{1}{5}}, 2^{\frac{1}{3}}, 3^{\frac{1}{5}}$ a) $3^{\frac{1}{3}}$ b) $5^{\frac{1}{5}}$ c) $2^{\frac{1}{3}}$ d) $3^{\frac{1}{5}}$ Q11 If $\frac{3^{2x-8}}{225} = \frac{5^{3}}{5^{x}}$, then the value of x is
a) 1
b) 2
c) 5
d) 7
Q12 The value of $\frac{\log 8 - \log 2}{\log 32}$ is
a) $\frac{1}{5}$ b) $\frac{1}{4}$ c) $\frac{2}{5}$ d) $\frac{1}{3}$ Section – B

Q 13 Convert 59.36 into its binary form.

Q14 Given log 3 = 0.4771, find the number of digits in 3^{62}

Q15 Prove that $x^{\log y - \log z}$. $y^{\log z - \log x}$. $z^{\log x - \log y} = 1$

Q16 Simplify : $\frac{5.25^{n+1} - 25.5^{2n}}{5.5^{2n+3} - 25^{n+1}}$

Q17 Solve the following equations:

$$2^{x} + 3^{y} = 7$$
 and $2^{x+2} - 3^{y-1} = 15$

Q18 If U = { 5, 6, 7, 8, 9, 10, 11, 12}, A = { 7, 8, 9, 10} and B = { 5, 8, 9, 10, 11, 12 }.

Verify that $(A \cap B)' = A' \cup B'$

Section – C

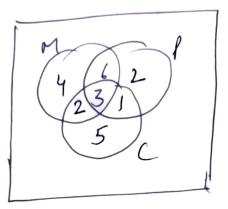
Q19 Find n , if $\frac{x^n + y^n}{x^{n-1} - y^{n-1}} = \sqrt{xy}$, $x \neq y$

Q20 In a survey of 25 students, it was found that 15 had taken Mathematics, 12 had taken Physics and 11 had taken Chemistry, 5 had taken Mathematics and Chemistry, 9 had taken Mathematics and Physics, 4 had taken Physics and Chemistry and 3 had taken all three subjects. Find:

- (i) How many students had taken Chemistry only?
- (ii) How many students had taken Physics and Chemistry but not Mathematics?
- (iii) How many students had taken only one of the subjects?

Set-B Class - XI Applied Maths Marking Scheme / Hents to Solution May Unit Test Note: - Any relevant solution not mentioned here but correct would be suitably awarded l 6) -4 01 a) 3^{1/3} 03 C) 27 04 6) 5 d) 1/3 195 d) {4,123 06 27 07 c) 14 08 E) 5 09 C) Y Ob c) (11101)2 011 d) (100001)2 012 (AUB)'= {5, 7, 8, 9, 10, 11, 123'= {63 013 A'AB' = 263 019 Let $x = 2^{1/2}$ Take log on both sides logn= 62 log 2 = 62× 0.30 to logn= 18.6620 Z Characterritic = 18 No of digits = (+1 = 18 +1 = 19 Any

loga X lojza x lojza + 1 L'M'S' xyz+1 015 1 lojza = loga +1 lgya = loga+ logya logya $= \log 4a^{2} = \frac{\log (2a)^{2}}{\log 4a}$ = 2 log2a R.H.S 273 = 2× log2a × log3a tog3a togya L = 2loj2a logya LHS. = R.H.S-Same as Set A DIG Oll Decimal Part / Product / Binary 018 2 125 1+1 2: 62 0.125×2 / 0.250 / 0 2/3/ 0.250×2 /0.500 / 0 2 15 0-500×2 / 1.000/ / $(125.125)_{10} = (1111101.001)_{10}$ 0 $(a^{n}+b^{n})(e+b) = 2ab(a^{n-1}+b^{n-1})$ 619 $a^{n+1} + a^{n}_{6} + b^{n}_{a} + b^{n+1}_{=} = 2a^{n}_{6} + 2ab^{n}_{6}$ ant and + 6n+1-57a 2 D $a^{n}(a-b) + b^{n}(b-a) = D$ $(a-b)(a^n-b^n)=0$ an_6n=0 Q-5=0 3 $a^n = 5^n$ azb (3) = 1 = (3) = => [N=0] Any



(i)ii) íii)

020

n(only Physics) = 2 n (Mathsard chemistry but not Physics) =2 n(no.) students who study atleast one of the three Subjects) = 4+6+2+2+3+1+5 = 23



May Test of Applied Maths

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M.M. - 30

Instructions :

- 1. All questions are compulsory.
- This question paper has 3 Sections. Section A has 12 questions of 1 mark each. Section B has 6 Questions of 2 marks each. Section C has 2 questions of 3 marks each.
- Q1 The characteristics of the log 0.0008889 is

Q2 Among these numbers tell which one is greatest:

 $3^{\frac{1}{3}}$, $5^{\frac{1}{5}}$, $2^{\frac{1}{3}}$, $3^{\frac{1}{5}}$ a) $3^{\frac{1}{3}}$ b) $5^{\frac{1}{5}}$ c) $2^{\frac{1}{3}}$ d) $3^{\frac{1}{5}}$ Q3 If log_x 3 = $\frac{1}{3}$ then value of x is b) 36 a) 4 c) 27 d) 25 Q4 $(625)^{0.16}$ x $(625)^{0.09}$ is equal to a) 4 c) 6 b) 5 d) 625 Q5 The value of $\frac{\log 9 - \log 3}{\log 27}$ is a) $\frac{1}{5}$ b) $\frac{1}{4}$ c) $\frac{2}{5}$ d) $\frac{1}{2}$ Q6 If A = { 4, 5, 8, 12} and B = { 5, 6, 7, 8, 9} then A – B is b) { 6, 7, 9} a) {5} c) { 5,8} d) { 4, 12 } Q7 If $P = \{a, b, c, d, e, f, g\}$ and $Q = \{8, 1\}$ then number of subsets of set A are b) 9 c) 2^{14} d) 2^{12} a) 12 Q8 The value of $27^{\frac{-2}{3}} + 16^{\frac{1}{4}}$ is a) $\frac{1}{50}$ b) $\frac{1}{18}$ c) $\frac{19}{9}$ d) $\frac{36}{50}$ Q9 If $\frac{3^{2x-8}}{225} = \frac{5^3}{5^x}$, then the value of x is a) 1 b) 2 c) 5 d) 7

Q10 The value of $log_{3\sqrt{2}}$ 324 is

a) 8 b) 6 c) 4 d) 2

Q11 Among these four numbers : $(111)_2$, $(1101)_2$, $(11101)_2$, $(10010)_2$ which one is greatest.

a) $(111)_2$ b) $(1101)_2$ c) $(11101)_2$ d) $(10010)_2$

Q12 Which of the following binary number is equivalent to decimal number 33?

a)	$(10010110)_2$	c) (10001010) ₂
b)	$(100000)_2$	d) $(100001)_2$

Section – B

Q13 If U = { 5, 6, 7, 8, 9, 10, 11, 12}, A = { 7, 8, 9, 10} and B = { 5, 8, 9, 10, 11, 12 }.

Verify that $(A \cup B)' = A' \cap B'$

Q14 Given log 2 = 0.3010, find the number of digits in 2^{62}

Q15 If $x = log_{2a}a$, $y = log_{3a}2a$, $z = log_{4a}3a$

Then prove that xyz + 1 = 2yz

Q16 Simplify : $\frac{5.25^{n+1} - 25.5^{2n}}{5.5^{2n+3} - 25^{n+1}}$

Q17 Solve the following equations:

 $3^{x} + 2^{y} = 7$ and $3^{x+2} - 2^{y-1} = 15$

Q 18 Convert 125.125 into its binary form.

Section – C

Q19 Find n , if $\frac{a^n + b^n}{a^{n-1} + b^{n-1}} = \frac{2ab}{a+b}$, a \neq b

Q20 In a survey of 25 students, it was found that 15 had taken Mathematics, 12 had taken Physics and 11 had taken Chemistry, 5 had taken Mathematics and Chemistry, 9 had taken Mathematics and Physics, 4 had taken Physics and Chemistry and 3 had taken all three subjects. Find:

- (i) How many students had taken Physics only?
- (ii) How many students had taken Mathematics and Chemistry but not Physics?
- (iii) How many students had taken atleast one of the subjects?

Cruss - / I Ser Applied Maths Marking Scheme / Hints to Solution May Unit Test Note: - Any relevant solution not mentioned here but correct would be suitably awarded a) (10010110)2 01 d) 256 Q2 a) 4 03 6) [6, 7, 93 OY c) 2⁴ OS 6) 1/18 06 4 C) 7 c) (11101)2 8 d) -5 9 d) 3^{1/5} C) 5 01/ c) 2/5212 Product | Sciimal part Binary 2/59 213 0.36×2 1 0.72 Ο 29 1.44 0.72×2 |+|14 0.88 D 0.44×2 7 D 0.88×2 1.76 2 3 0.76×2 2 1.52 0.52×2 1.041 No, (59.36); = (11011.010/11)2 2 010 Let $X = 3^{2}$ Take log on both sides IZ logn = 62 log3 12 lojnz 62 × 0'4771 lyn = 29,280

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So, Characterstic of logn = 29 No. of digits = C+1 12 = 29+) = 30 Ang y log z - log n - log n - log y x log y - log z OLS Take log on both sides (logy-log) logn + (log 3 - logn) logy + (log x - log) log og = log I LH.S. logylogn - logs logn + logstogy - logx logy 1 2 + logx log - logy tog 3 RH.S. log1=0 014 5.25" - 25.52n 5. 52n+3 - 25n+1] 2 $= \frac{5 \times (5)^{2n+2}}{5 \times 5^{2n+3}} - \frac{5^2 \times 5^{2n}}{5^{2n+3}} - \frac{5^2 \times 5^{2n+2}}{5^{2n+2}}$ 2 $\frac{5^{2n+3}-5^{2n+2}}{5^{2n+4}-5^{2n+2}}$ = L $= 5^{2n+2} (5-1)^{2n+2}$ 2 52072 [52-1] Ł 4 2 5 $2^{n+2} - 3^{n+2} = 15$ $2^{*} + 3^{*} = 7$ 017 Let 2n=a, st=b 41 a+5=7 on solving 4a- 2 = 15 b=3 and azy 12a-6=45 コ ta

So, 2x=4 and 3y=3 -> [x=2, y=1] Ans (ANG)'= \$8,9,103'= \$5,6,7,11,123 2 018 A'UO' = {51 4,7, 11,123 $x^{n} + y^{n} = (xy)^{\frac{1}{2}} (x^{n-1} + y^{n-1})$ $x^{n} + y^{n} = x^{n-\frac{1}{2}}y^{\frac{1}{2}} + x^{\frac{1}{2}}y^{n-\frac{1}{2}}$ 619 $= x^{n-2}(x^{2} - y^{2}) + y^{n-2}(y^{2} - x^{2}) = 0$ x2-y2=0 02 xn2 -yn2=0 $\chi^{n-2} = \chi^{n-2}$ x = ywhich is 1 which is not possible (givey) $\left(\begin{array}{c} x_{1} \end{array}\right)^{n-1} = 1 = \left(\begin{array}{c} x_{2} \end{array}\right)^{n}$ 3 (givin) ١ n - 1 = 0 m = 1 m = 1=) 020 5 2/1 (i) n(only C) = 53 (i) n(Physics and Chem. but not Maths) = 8 n(only one subject) = 2+4+5 = 11 (iii)